

# CoFlux: Robustly Correlating KPIs by Fluctuations for Service Troubleshooting

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# Outline

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Background



Algorithm



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Background



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# Internet-based Services

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- Internet-based services are everywhere.



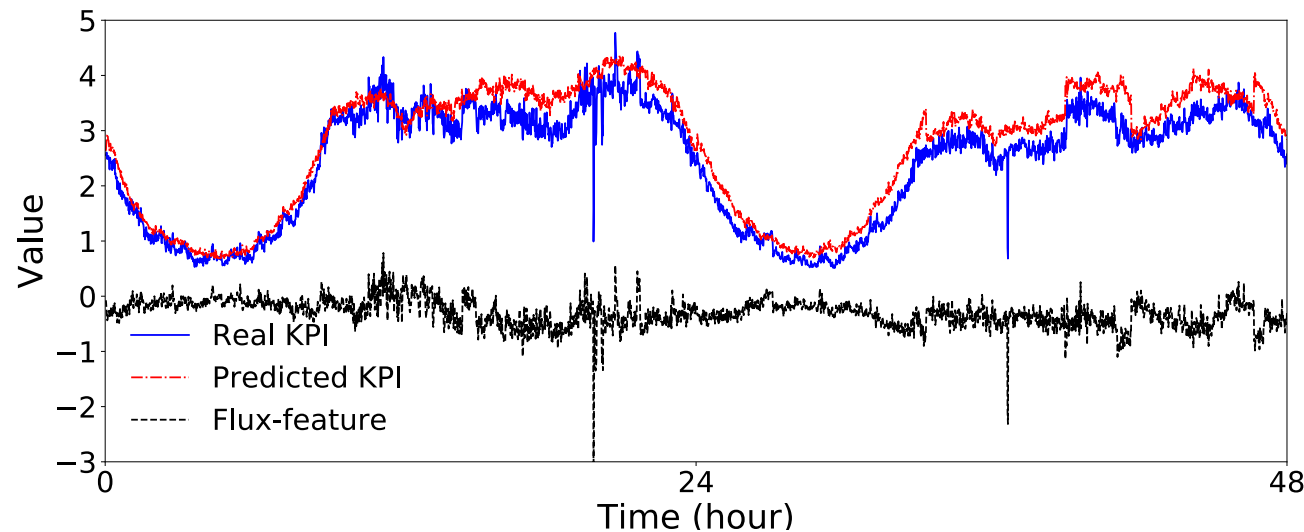
- Service interruptions are inevitable.



- Service Troubleshooting is necessary but challenging because of the interweaved anomalies.

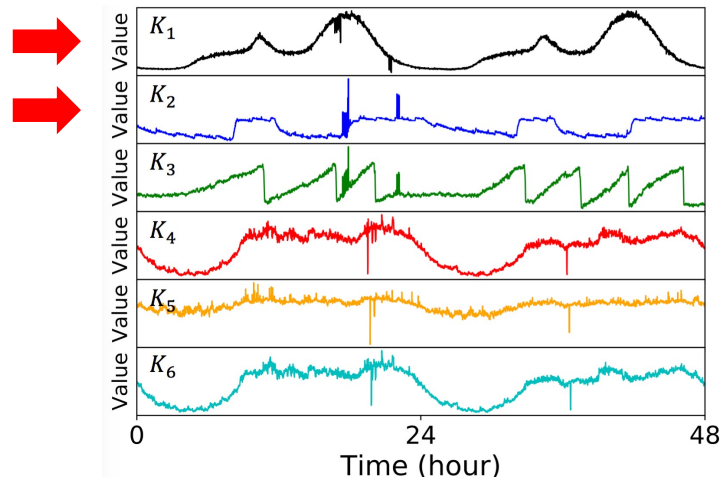
# KPIs and Fluctuations

- **KPIs (Key Performance Indicators):** A set of performance metrics that monitor the service.
- **Fluctuations (or Flux-features):** Anomalous changes in KPIs which could be indicated by prediction errors.

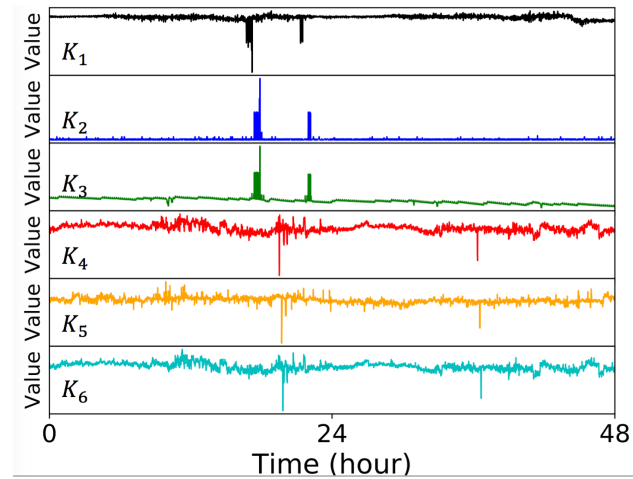


# Flux-correlation

- For two KPIs  $X$  and  $Y$ , we want to answer three questions:
  - Q1: Existence of flux-correlation ( $X \sim Y$  or  $X \not\sim Y$ ). If yes, then:



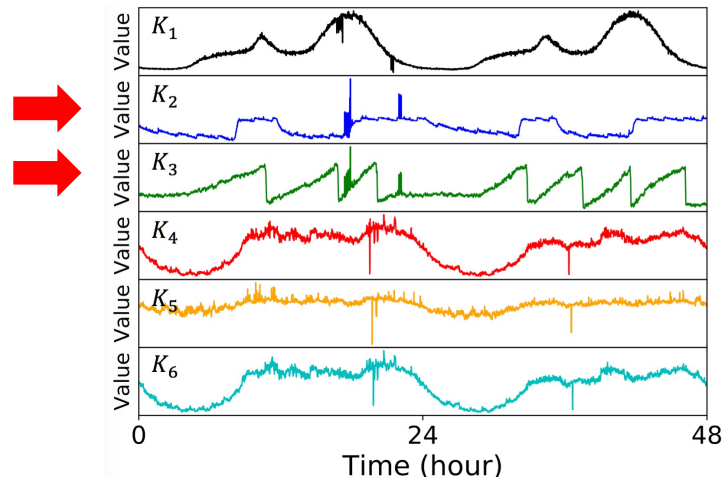
(a) Six KPIs



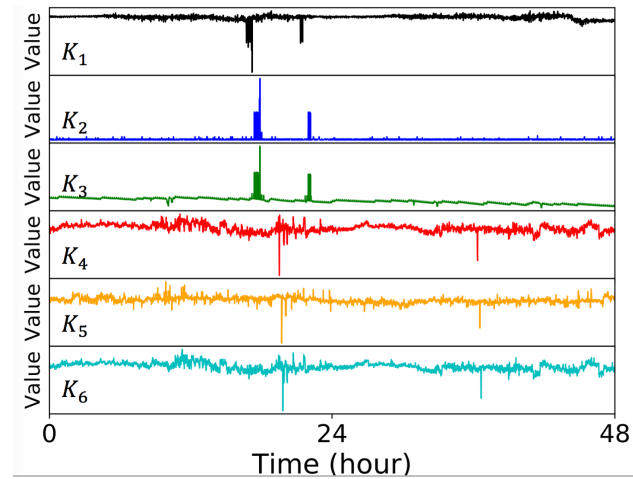
(b) Fluctuations (Flux-feature) of the KPIs in (a)

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  - Q2: Temporal order,  $X \rightarrow Y$  or  $X \leftrightarrow Y$ .



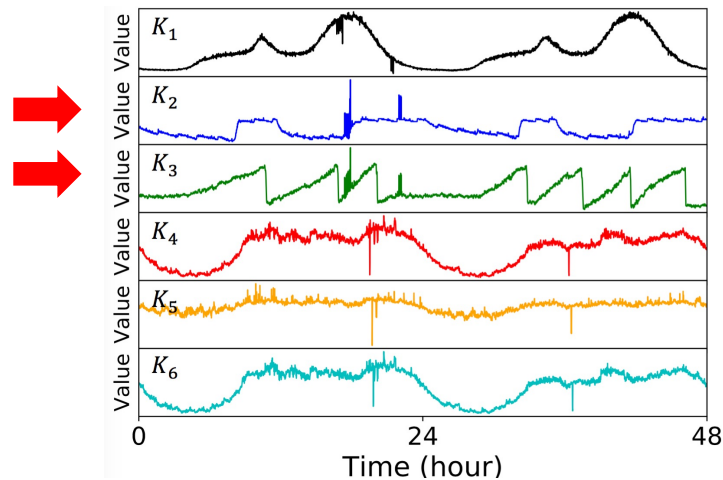
(a) Six KPIs



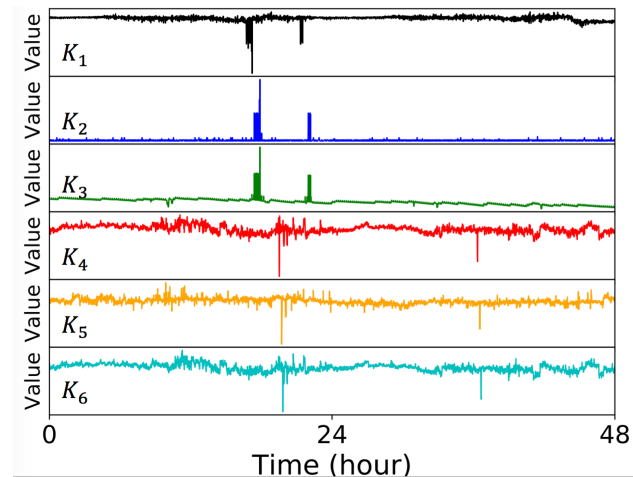
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  - Q3: Direction, Positive or Negative.



(a) Six KPIs

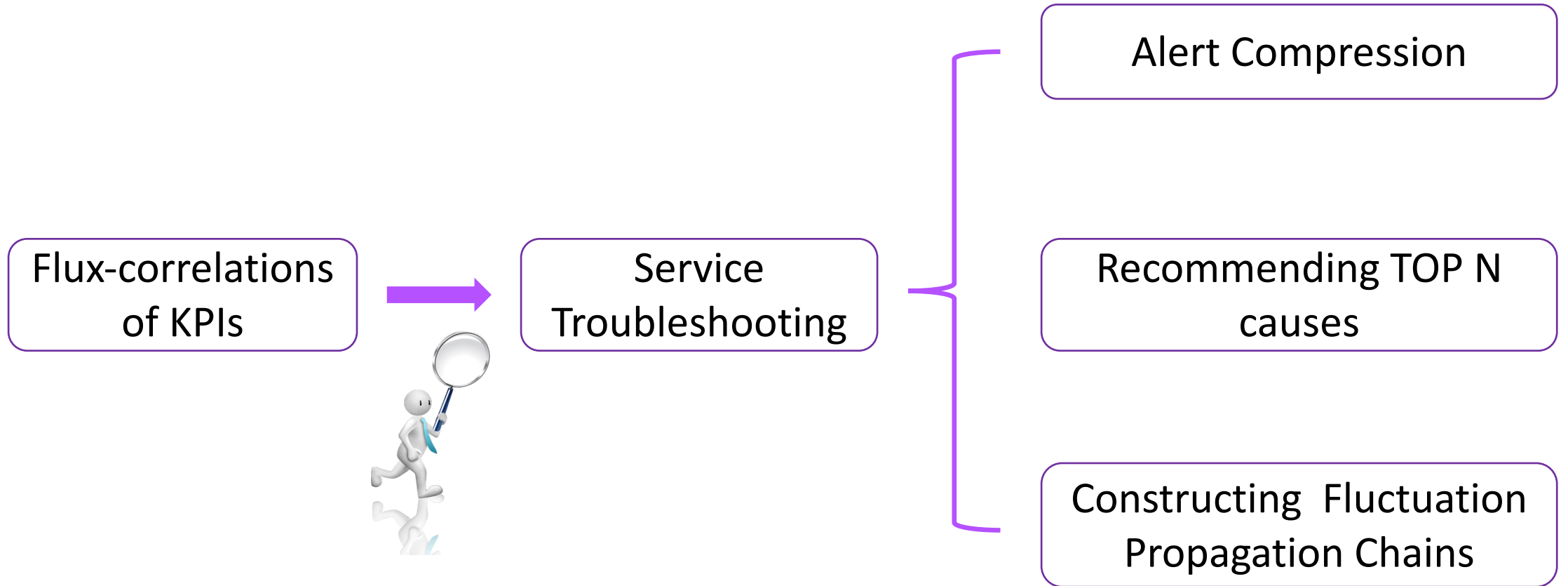


(b) Fluctuations (Flux-feature) of the KPIs in (a)



# Goal

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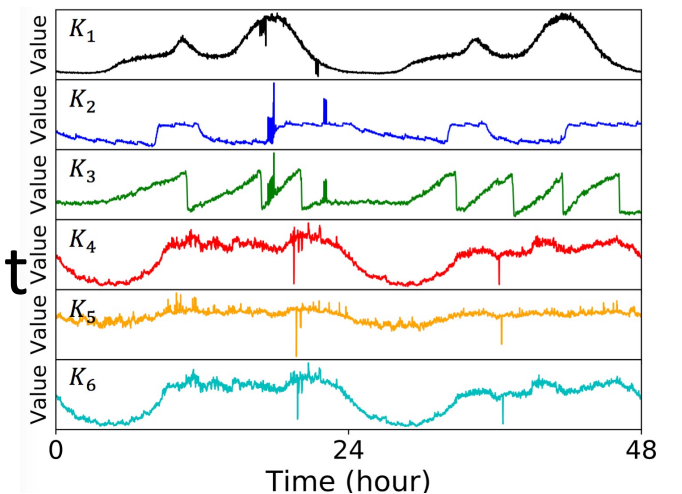


# Related Work

	Traditional Correlation methods					Statistical models from other fields		
	Pearson Correlation	Spearman Correlation	Granger causality [ICDM 2012]	Cross Correlation	J-measure [SIGKDD 2014]	SIG [DSN 2010]	VARMA	Co-Integration
Fluctuation analysis	X	X	X	X	✓	✓	X	X
Temporal order	X	X	✓	✓	X	✓	X	X
Direction	✓	✓	X	✓	X	X	X	X

# Challenges

- **Challenge 1:** To the best of our knowledge, there is no generic mechanism for fluctuation extraction.
- **Challenge 2:** Flux-correlation should not be based on anomaly detection of because of its difficulty.<sup>[IMC 2015]</sup>
- **Challenge 3:** Two flux-correlated KPIs may present different patterns.

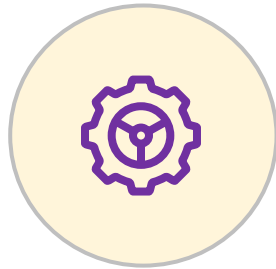


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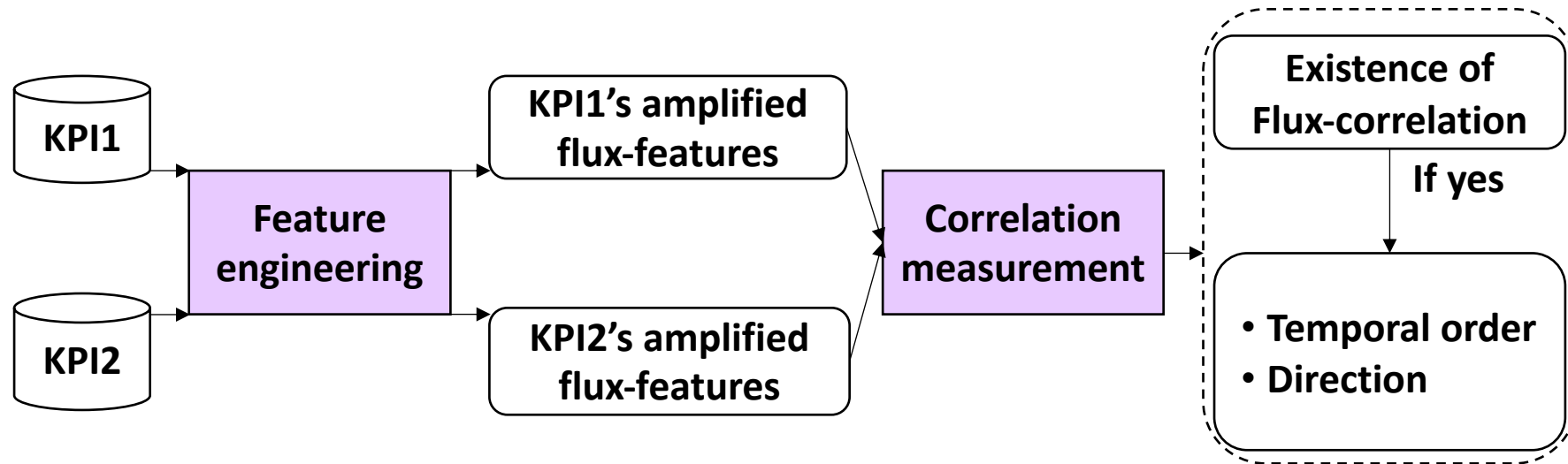


Evaluation



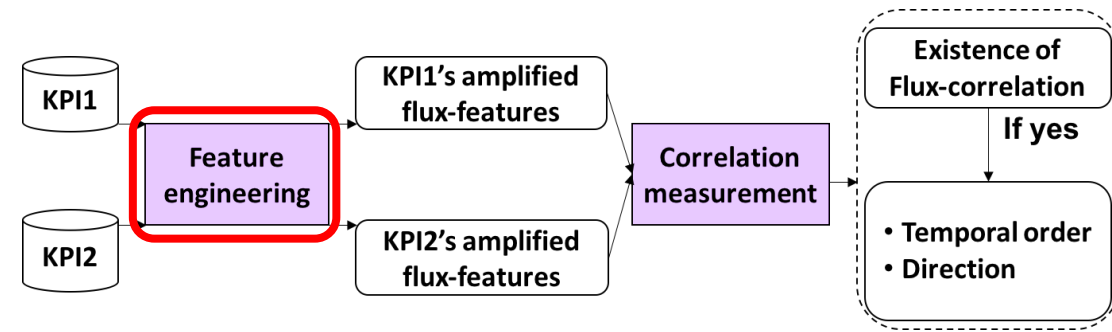
Case Studies

# Model Architecture



**CoFlux**

# Feature engineering



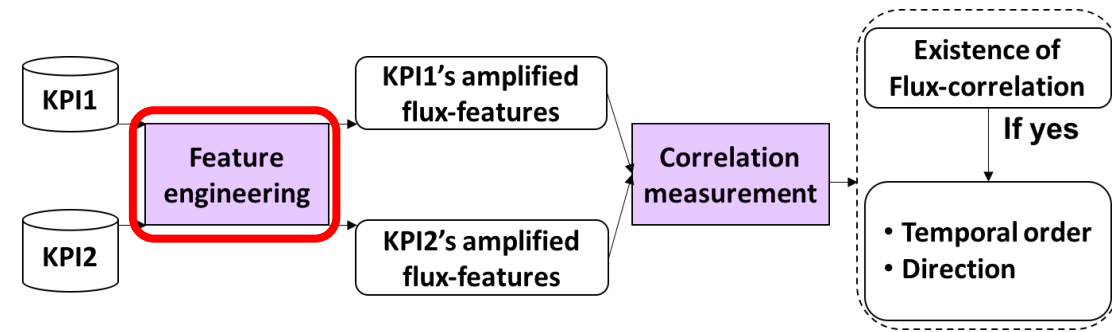
- Feature extraction: Apply time series prediction models with parameters as flux-feature detectors.

Prediction models and detectors

Prediction models/ # of detectors	Parameter Configurations
Diff / 2	Last-day, last-week
Holt-Winters / 64	$\alpha, \beta, \gamma = \{0.2, 0.4, 0.6, 0.8\}$
Historical average / 4	Win = 1, 2, 3, 4 weeks
Historical median / 4	
TSD / 4	
TSD median / 4	
Wavelet / 4	Win = 1, 3, 5, 7 days
<b>In total : 7 prediction models / 86 detectors</b>	

**Challenge  
1 & 2**

# Feature engineering



- Feature amplification:
  - Apply z-score to normalize the flux-feature.
  - To reduce the influence of noises, we use modified exponential activation to strengthen large fluctuations.

Challenge  
1 & 2

- A **Z-Score** is a statistical measurement that describes a value's relationship to the mean of a group of values.
- It is measured in terms of standard deviations from the mean.

#### Calculation:

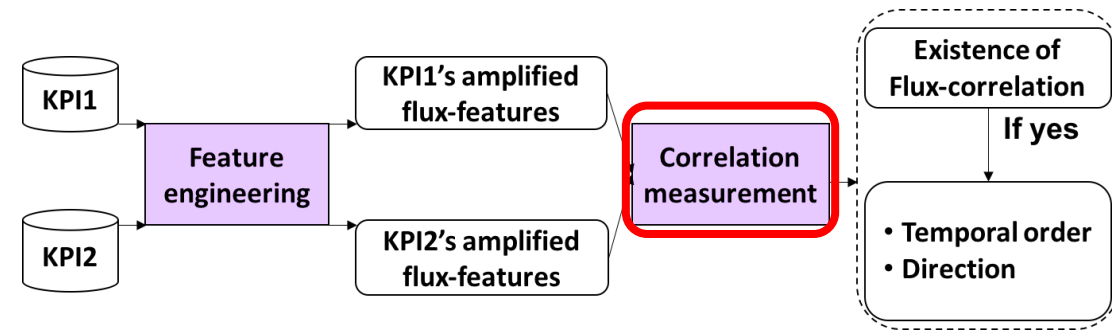
$$Z = \frac{(X - \mu)}{\sigma}$$

Where:

- $X$  is the value being measured,
- $\mu$  is the mean of the data,
- $\sigma$  is the standard deviation of the data.

$$f(\alpha, \beta, x) = \begin{cases} e^{\min(x, \beta) \times \alpha} - 1, & \text{for } x \geq 0 \\ -e^{\min(|x|, \beta) \times \alpha} + 1, & \text{for } x < 0 \end{cases}$$

# Correlation measurement



## Algorithm 1: Correlation measurement

```

Input: afxSet: Set of amplified flux-features of KPI X
         afySet: Set of amplified flux-features of KPI Y
         coTHR: Threshold of existence of flux-correlation
1 resultSet ← []
   // Set of candidate flux-correlation results
2 for afx in afxSet do
3   for afy in afySet do
4     resultSet ← FCC(afx, afy) // Eq. 4
5 if abs(max(resultSet[:,0])) > abs(min(resultSet[:,0])) then
6   [ccV, shiftV] = max(resultSet) /* ccV: correlation value
   about the existence of flux-correlation;
   shiftV: shifted value of X when get ccV */
7 else [ccV, shiftV] = min(resultSet);
8 if abs(ccV) ≥ coTHR then
9   if shiftV = 0 then
10    if ccV ≥ 0 then X ↔+ Y;
11    else X ↔- Y;
12  if shiftV < 0 then
13    if ccV ≥ 0 then X →+ Y;
14    else X →- Y;
15  if shiftV > 0 then
16    if ccV ≥ 0 then Y →+ X;
17    else Y →- X;
18 else X ↛ Y;

```

- We apply the Cross-correlation to measure the correlation results of flux-features.

$$R(G_s, H) = \sum_{i=-l+1}^{l-1} G_s[i] \times H[i]$$

$$CC(G_s, H) = \frac{R(G_s, H)}{\sqrt{R(G, G) \times R(H, H)}}$$

Challenge 3

$$\min CC = \min_s (CC(G_s, H)), s1 = \arg \min_s (CC(G_s, H))$$

$$\max CC = \max_s (CC(G_s, H)), s2 = \arg \max_s (CC(G_s, H))$$

$$FCC(G, H) = \begin{cases} [\min CC, s1], & \text{for } |\max CC| < |\min CC| \\ [\max CC, s2], & \text{for } |\max CC| \geq |\min CC| \end{cases}$$



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# CoFlux VS Baseline Models

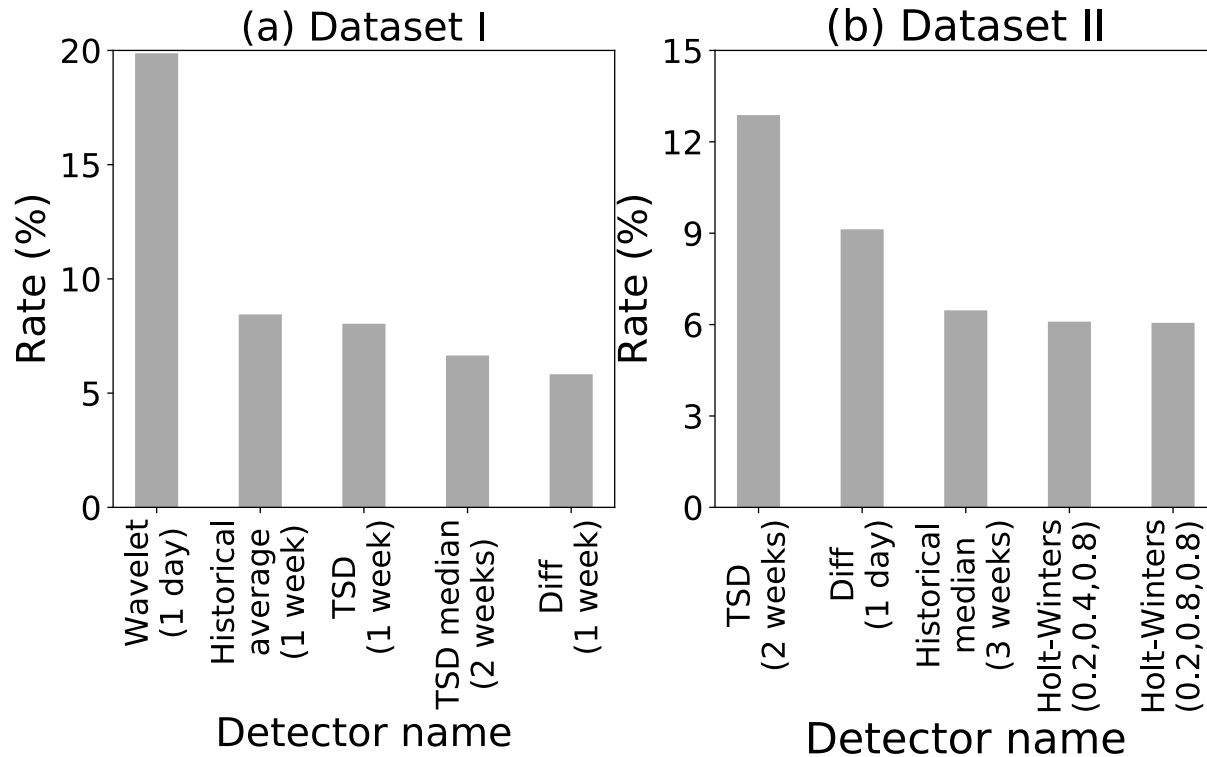
- Datasets:

- **Dataset I:** flux-correlated KPIs with different time series characteristics.
- **Dataset II:** flux-correlated KPIs with homogeneous time series characteristics.

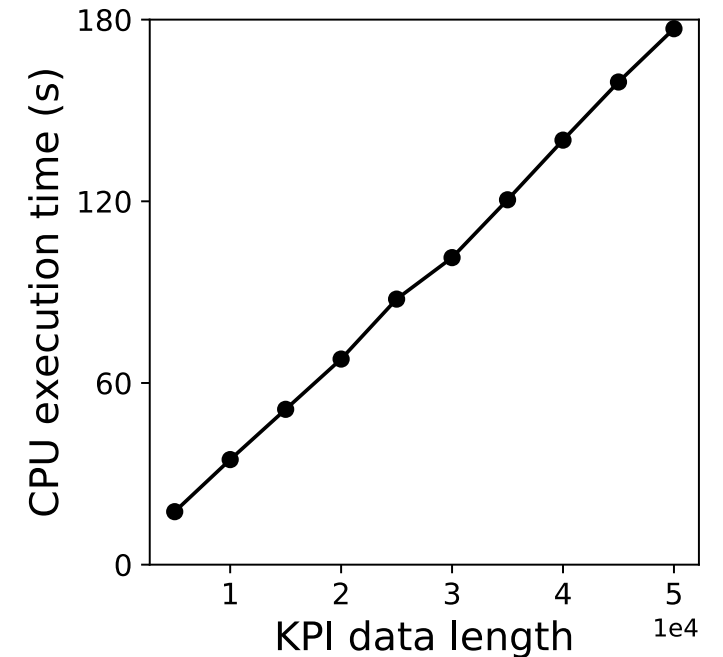
Best F1-scores of eight algorithms

Data set	Algorithms	Best F1-Score		
		Existence	Temporal order	Direction
I	CoFlux	<b>0.8412</b>	<b>0.9608</b>	<b>0.9579</b>
	J-measure	<b>0.7213</b>	N/A	N/A
	SIG	0.5381	<b>1.0</b>	N/A
	Pearson①	0.3106	N/A	0.6127
	Pearson②	0.5909	N/A	0.6945
	Granger①	0.2864	0.9009	N/A
	Granger②	0.4128	0.8952	N/A
	Cross-correlation	0.3613	0.9320	<b>0.9814</b>
II	CoFlux	<b>0.9026</b>	<b>0.9206</b>	0.9987
	J-measure	<b>0.8462</b>	N/A	N/A
	SIG	0.7706	0.8012	N/A
	Pearson①	0.7193	N/A	0.9845
	Pearson②	0.7828	N/A	<b>1.0</b>
	Granger①	0.4533	0.9025	N/A
	Granger②	0.6732	<b>0.9141</b>	N/A
	Cross-correlation	0.7494	0.7781	<b>1.0</b>

# Analysis about CoFlux

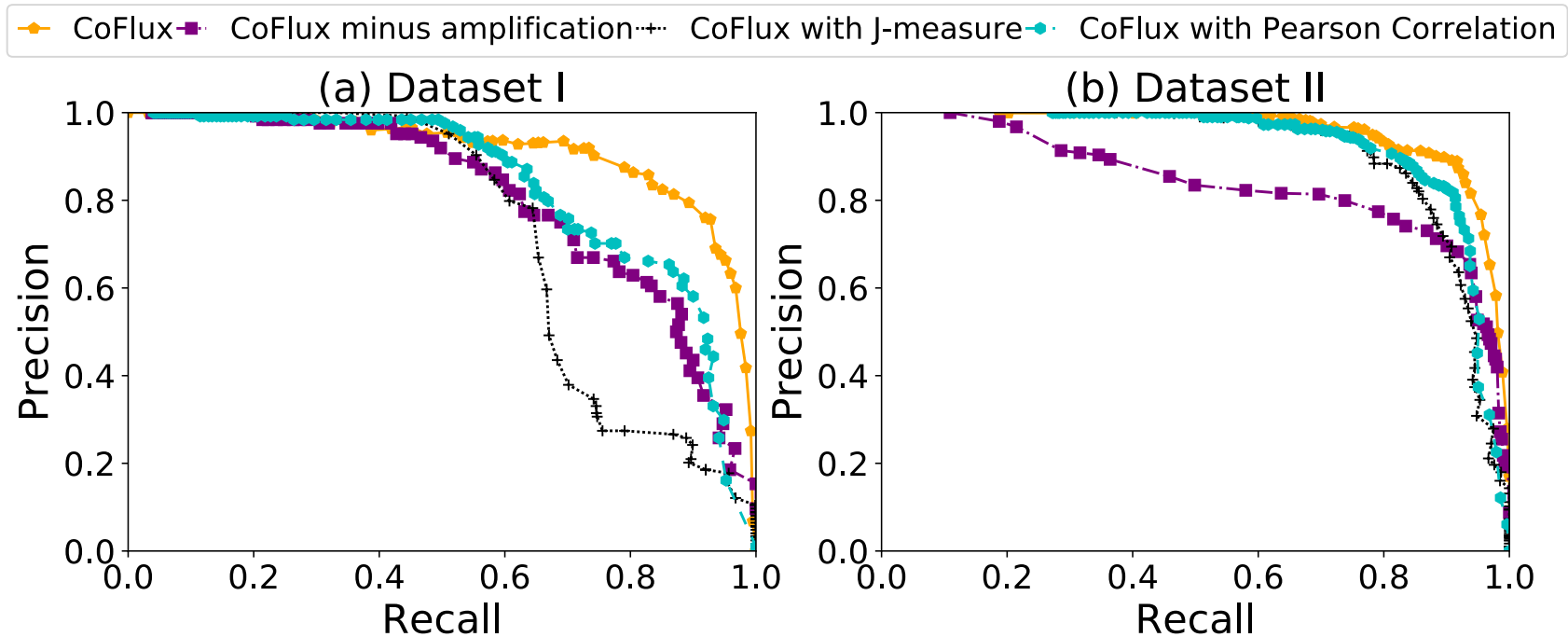


Top 5 detectors which give the flux-correlation results.



Efficiency by varying data length.

# Analysis about CoFlux



PRCs about the existence of flux-correlation among CoFlux and its variants.

# Outline

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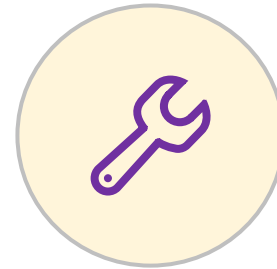
Background



Algorithm



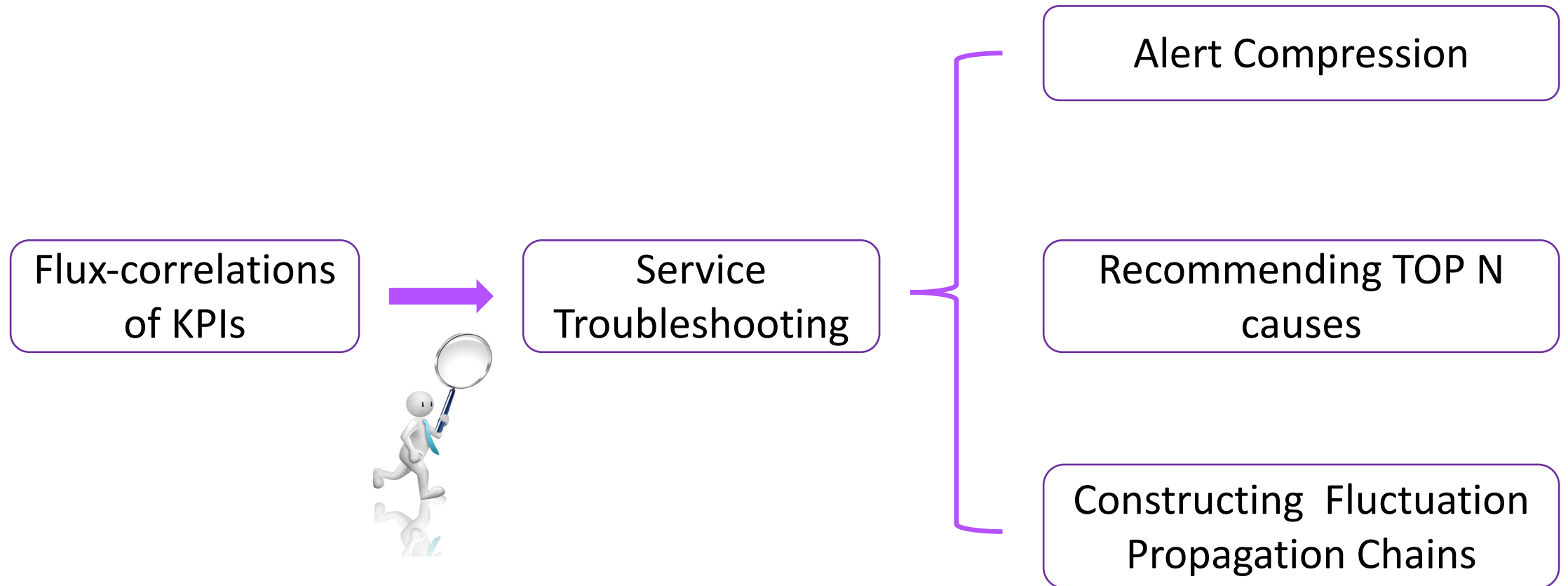
Evaluation



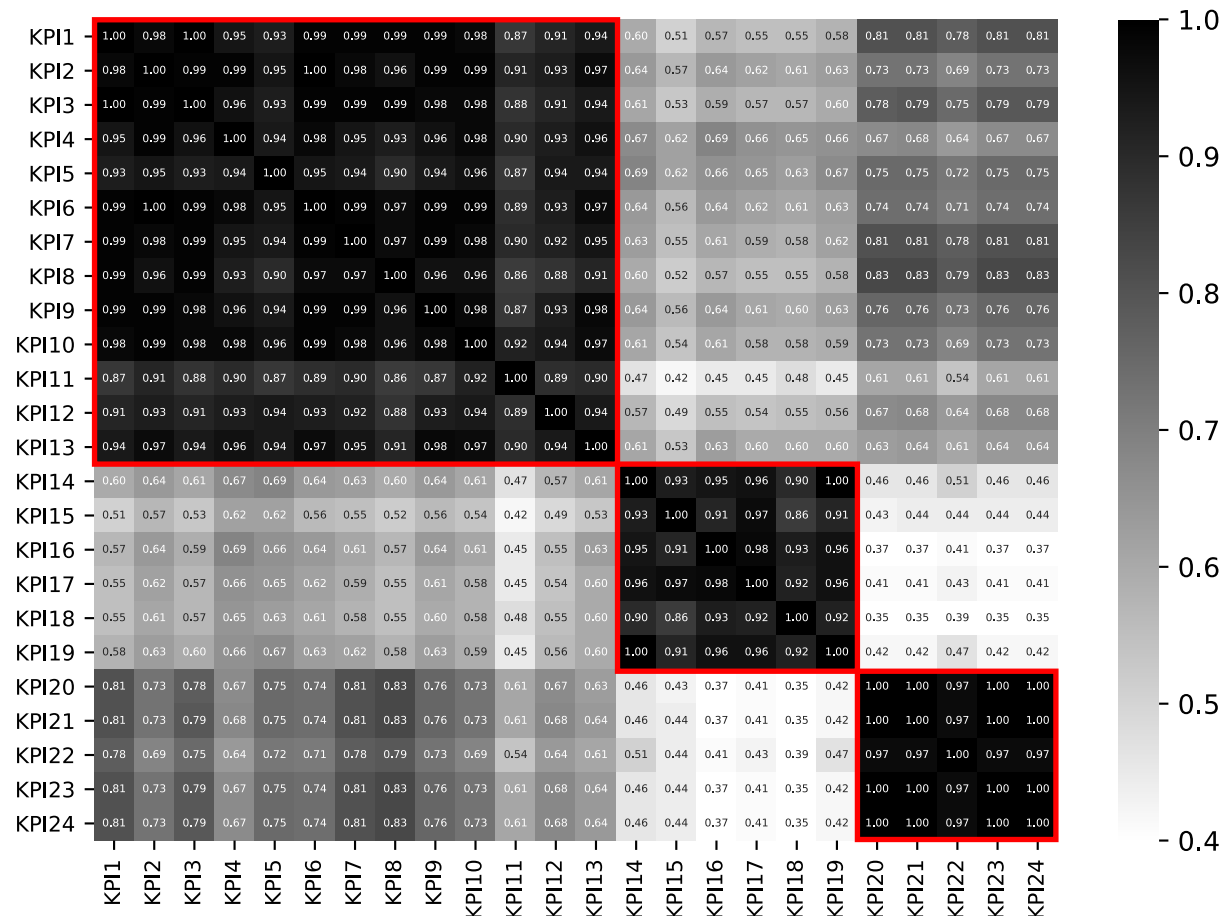
Case Studies

# Goal

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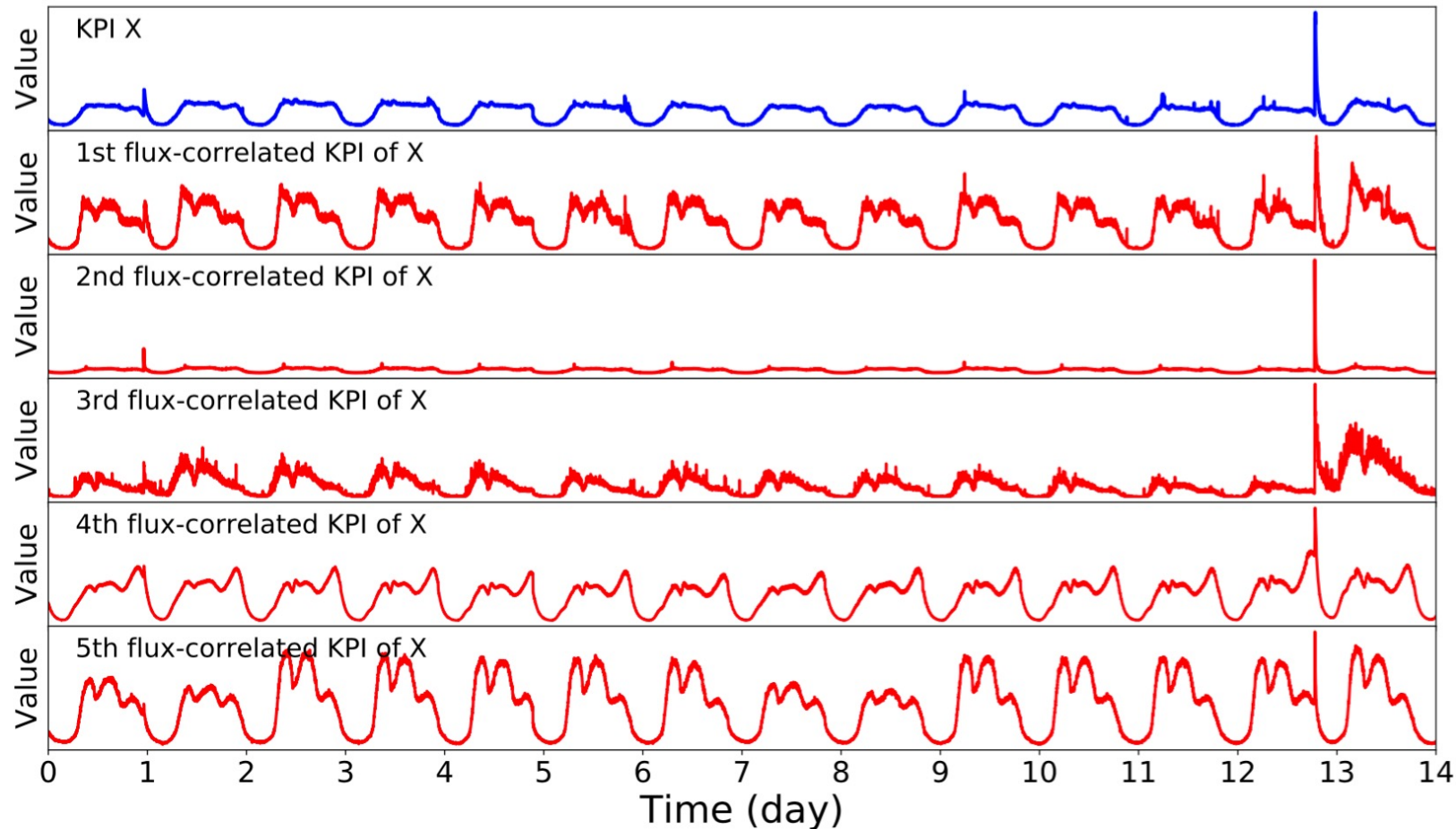


# Clustering KPIs for alert compression



Heat map visualization for clustering results of 24 KPIs.

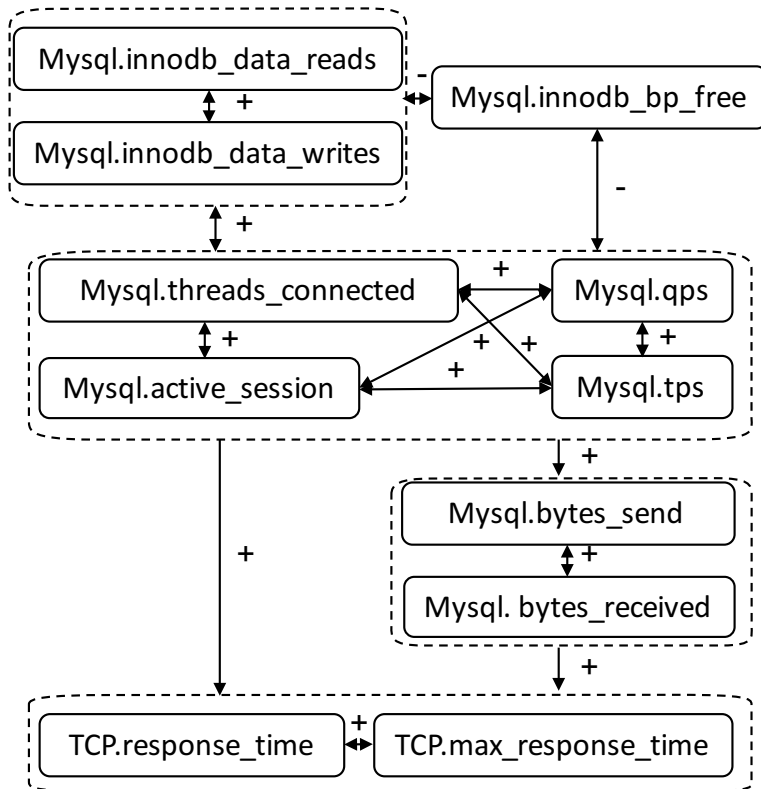
# Recommending Top N flux-correlated KPIs



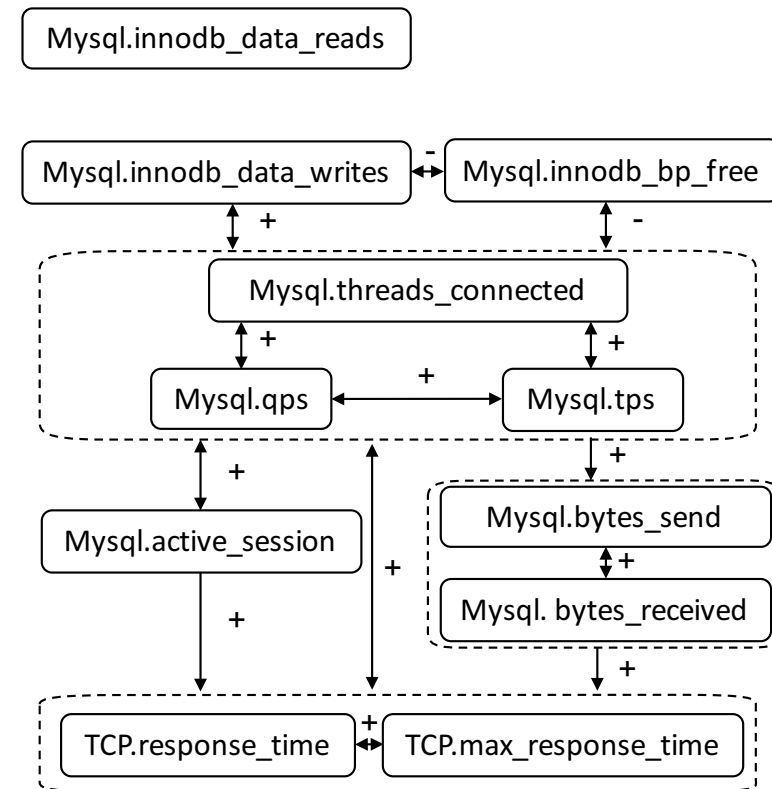
Top 5 flux-correlated KPIs for a given KPI X.



# Constructing fluctuation propagation chains



Fluctuation propagation chains of a database service constructed by the **operators**



Fluctuation propagation chains of a database service constructed by **CoFlux**

# Conclusion

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- To the best of our knowledge, this paper is the first attempt to formulate flux-correlation and study it in detail in the domain of Internet service operations management.
- CoFlux includes a robust set of flux-features and a robust Correlation score.
- Our extensive experiments have demonstrated that CoFlux significantly outperforming the baseline algorithms and their variants.

Thank you!  
Q & A

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